

# FFNNs for Classification and Language Modeling

Ling 282/482: Deep Learning for Computational Linguistics

C.M. Downey

Fall 2024

# Today's Plan

- Deep Averaging Networks for text classification
- Neural Probabilistic Language Model
- Perplexity (metric)
- Additional Training Notes
  - Regularization
  - Early stopping
  - Hyper-parameter searching

# Note on Random Seeds

- In word2vec.py / util.py:
- Random seed:
  - Behavior of pseudo-random number generators is determined by their “seed” value
  - If not specified, determined by e.g. # of seconds since 1970
  - Same seed —> same (non-random) behavior
- Sources of randomness in DL: shuffling the data each epoch, weight initialization, negative *sampling*, ...
- Very important for reproducibility!
  - In general, run on several seeds and report means / std's

```
# set random seed  
util.set_seed(args.seed)
```

```
def set_seed(seed: int) -> None:  
    """Sets various random seeds. """  
    random.seed(seed)  
    np.random.seed(seed)
```

# Random Seeds and Reproducibility

Just try a different random seed 🧑

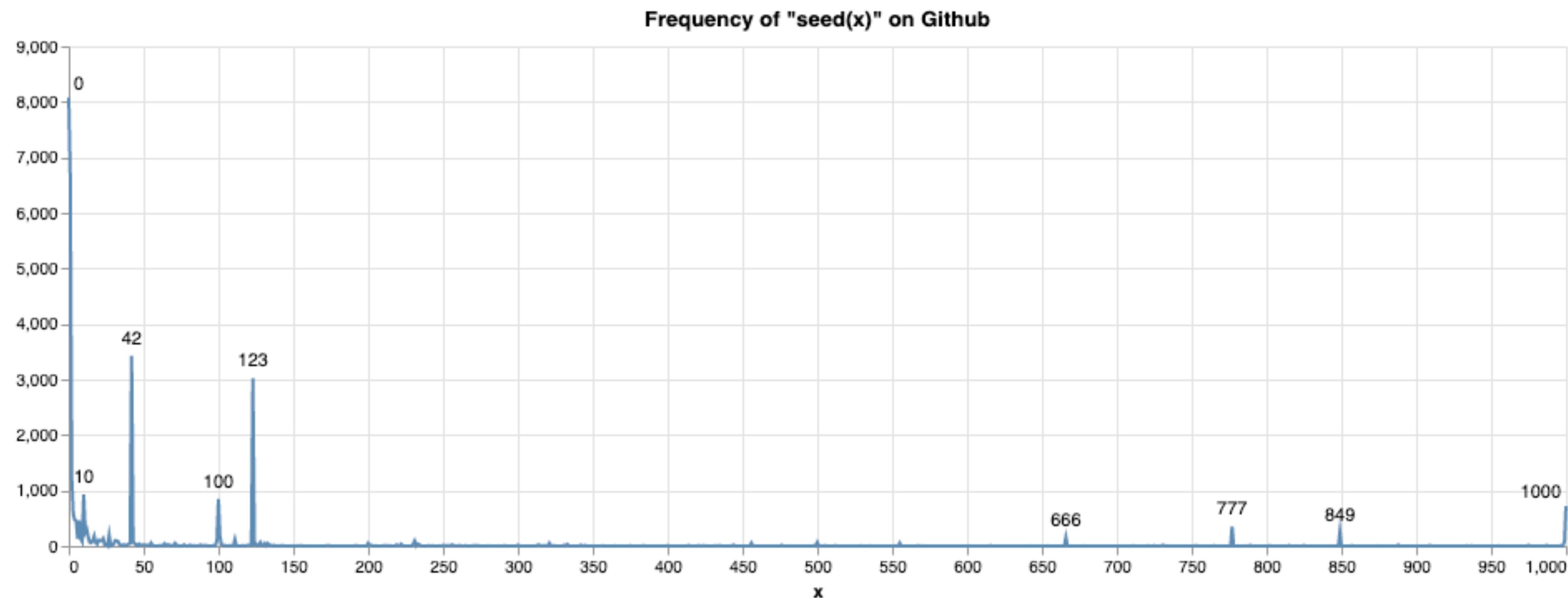
**Programmers: You can't just rerun your program without changing it and expect it to work**

Deep  
~~Reinforcement~~ Learning Practitioners:



# Random Seeds, cont

- Ideally: “randomly generate” seeds, but save/store them!
- Random seed is not a hyper-parameter! (Some discussions in [these threads](#).)



[source](#)

# Deep Averaging Networks



# Deep Unordered Composition Rivals Syntactic Methods for Text Classification

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## Abstract

Many existing deep learning models for natural language processing tasks focus on learning the *compositionality* of their inputs, which requires many expensive computations. We present a simple deep neural network that competes with and, in some cases, outperforms such models on sen-

results have shown that syntactic functions outperform unordered functions on many tasks (Socher et al., 2013b; Kalchbrenner and Blunsom, 2013).

However, there is a tradeoff: syntactic functions require more training time than unordered composition functions and are prohibitively expensive in the case of huge datasets or limited computing resources. For example, the recursive neural network (Section 2) computes costly matrix/tensor products

# Deep, Unordered, Classification



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- Deep
  - One or more **hidden layers** in a neural network

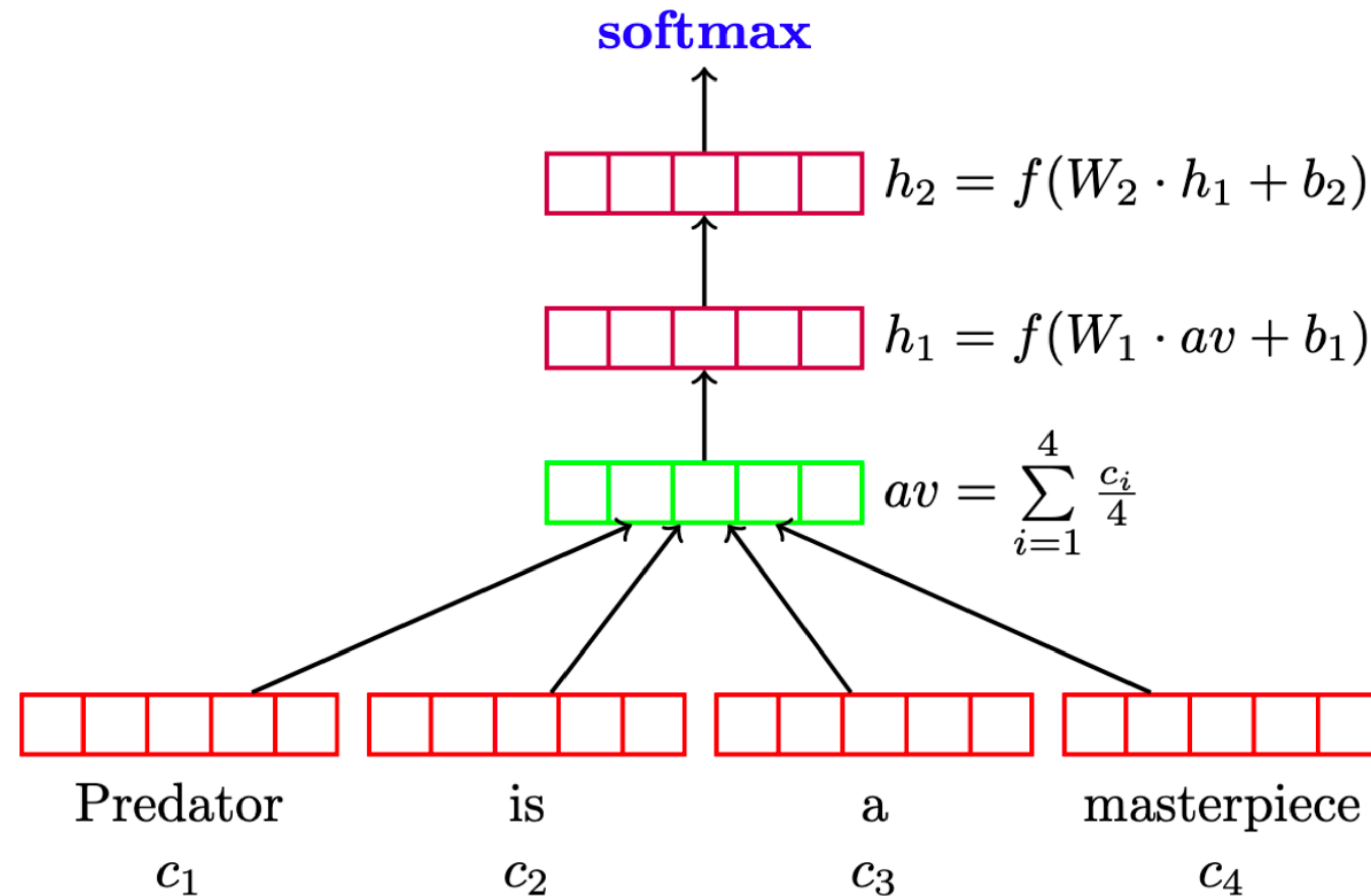
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  - One or more **hidden layers** in a neural network
- Unordered
  - Text is represented as a “**bag of words**”
  - No notion of syntactic order

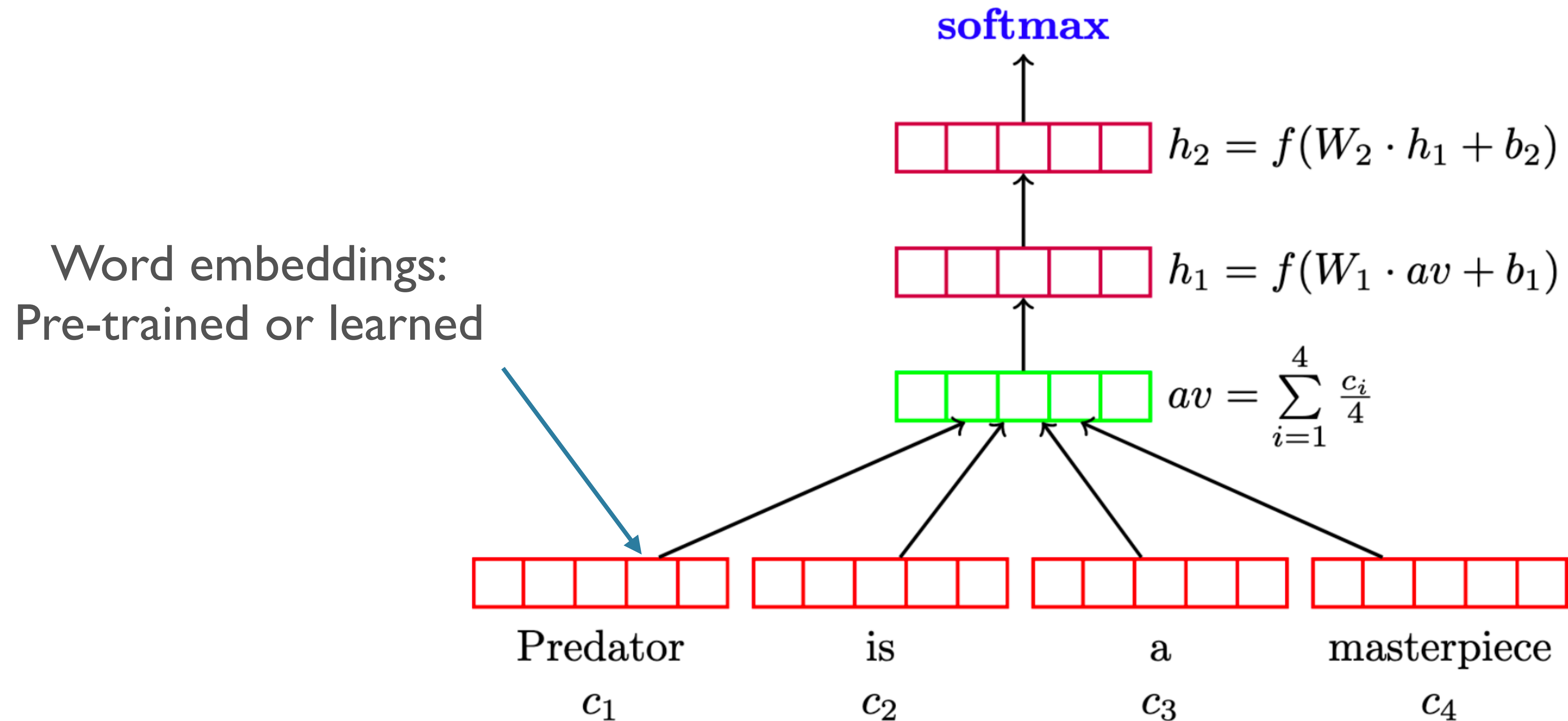
# Deep, Unordered, Classification

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- Unordered
  - Text is represented as a “**bag of words**”
  - No notion of syntactic order
- Classification
  - Applied to several classification tasks, including SST
  - Via softmax layer

# Model Architecture, One Input



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# Hyper-parameters

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  - Activation function
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- Exercise: find the values for these hyper-parameters in the paper



# Note on Embedding Layer

- Let  $t$  be the integer index of word  $w$
- **One-hot vector** ( $t=3$ ):  $w_t = [0 \ 0 \ 0 \ 1 \ \dots \ 0]$
- For  $E$  an embedding matrix of shape (embedding\_dimension, vocab\_size) and  $E_t$  the embedding for  $t$ :

$$E_t = Ew_t$$

- This is a way to “**look up**” an individual embedding using **matrix multiplication**
- Direct look-up (using indices) is **faster** than matrix multiplication, but the latter generalizes in useful ways that we will see soon

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- How can we leverage **larger batch sizes** and their advantages?
  - “Predator is a masterpiece”
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# Batched Computation in DAN

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  - “Predator is a masterpiece”
  - “Parasite won Best Picture for 2019”
- What issues here?
- Different lengths —> different number of embeddings —> **different input size** (intuitively)
  - But we need a matrix of shape (representation\_size, batch\_size) for input to hidden layer

# Batching with Bag of Words

- Bag of words representation:
  - {word1: 3, word36: 1, word651: 1, ...}
  - Let  $s$  be a sentence with words  $t_i$  occurring  $\text{count}_i$  times:  $\text{bag}_s := \{t_i : \text{count}_i\}$
- Bag of words vector:  $s := [3 \quad 0 \quad \dots \quad 1 \quad \dots \quad 1 \quad \dots]$
- The multiplication  $Es$  gives us a **weighed sum** of word vectors
  - Each vector is weighted by its **count**
  - Divide by the **length** of that sentence to get **average of embeddings**
- For every sentence, the Bag of Words vector  $s$  has the **same size** (vocab size)
  - So they can be stacked into a matrix  $S$ , of shape (vocab\_size, batch\_size)
  - The batched multiplication is  $ES$

$$Es = \sum_{t \in s} E_t \cdot \text{count}_t$$

# Output and Loss for Classification

$$\text{logits} = W \cdot \text{hidden} + b$$
$$\hat{y} = \text{probs} = \text{softmax}(\text{logits})$$

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One hot for true class label



# Results

Model	RT	SST fine
DAN-ROOT	—	46.9
DAN-RAND	77.3	45.4
DAN	80.3	47.7
NBOW-RAND	76.2	42.3
NBOW	79.0	43.6
BiNB	—	41.9
NBSVM-bi	79.4	—
RecNN*	77.7	43.2
RecNTN*	—	45.7
DRecNN	—	49.8
TreeLSTM	—	<b>50.6</b>

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“Rivals syntactic  
methods”



# Error Analysis

Sentence	DAN	DRecNN	Ground Truth
a lousy movie that's not merely unwatchable, but also unlistenable	negative	negative	negative
if you're not a prepubescent girl, you'll be laughing at britney spears' movie-starring debut whenever it does n't have you impatiently squinting at your watch	negative	negative	negative
blessed with immense physical prowess he may well be, but ahola is simply not an actor	positive	neutral	negative
who knows what exactly godard is on about in this film, but his words and images do n't have to add up to mesmerize you.	positive	positive	positive
it's so good that its relentless, polished wit can withstand not only inept school productions, but even oliver parker's movie adaptation	negative	positive	positive
too bad, but thanks to some lovely comedic moments and several fine performances, it's not a total loss	negative	negative	positive
this movie was not good	negative	negative	negative
this movie was good	positive	positive	positive
this movie was bad	negative	negative	negative
the movie was not bad	negative	negative	positive

# Word Dropout

- An **additional “trick”** to regularize performance
- For each input sequence, each word has a chance of being **randomly “zeroed-out”**
  - A word is kept with probability  $p$ , masked out with probability  $1 - p$
  - Meant to prevent **over-reliance** on a **small number of words**

$$\text{vec}_s = [20110]$$

$$\text{mask} = [01110]$$

$$\text{vec}_s \odot \text{mask} = [00110]$$

Generated randomly  
for each sentence

# Adagrad

- “Adaptive Gradients”
- Key idea: **adjust the learning rate per parameter**
- Frequent features  $\rightarrow$  more updates
- Adagrad will make the learning rate **smaller for those**



# Adagrad

- Let  $g_{t,i} := \nabla_{\theta_{t,i}} \mathcal{L}$
- SGD:  $\theta_{t+1,i} = \theta_{t,i} - \alpha g_{t,i}$
- Adagrad:  $\theta_{t+1,i} = \theta_{t,i} - \frac{\alpha}{\sqrt{G_{t,i} + \epsilon}} g_{t,i}$

$$G_{t,i} = \sum_{k=0}^t g_{k,i}^2 \quad \leftarrow \text{Accumulated change to parameter } i \text{ over time}$$

# Adagrad

- Pros:
  - “Balances” parameter importance
  - **Less manual tuning** of learning rate needed (0.01 default)
- Cons:
  - $G_{t,i}$  increases monotonically, so **step-size always gets smaller**
- Newer optimizers try to have the pros without the cons
- Resources:
  - Original paper (veeery math-y): <https://jmlr.org/papers/volume12/duchi11a/duchi11a.pdf>
  - Overview of optimizers: <https://runder.io/optimizing-gradient-descent/index.html#adagrad>

# Unordered Models in the Large LM Era

- Last paper: “Deep Unordered Composition Rivals Syntactic Methods for Text Classification” —2015
- From ~April 2021:

## Masked Language Modeling and the Distributional Hypothesis: Order Word Matters Pre-training for Little

Koustuv Sinha<sup>†‡</sup> Robin Jia<sup>†</sup> Dieuwke Hupkes<sup>†</sup> Joelle Pineau<sup>†‡</sup>

Adina Williams<sup>†</sup> Douwe Kiela<sup>†</sup>

<sup>†</sup> Facebook AI Research; <sup>‡</sup> McGill University / Montreal Institute of Learning Algorithms  
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### Abstract

A possible explanation for the impressive performance of masked language model (MLM) pre-training is that such models have learned to represent the syntactic structures prevalent in classical NLP pipelines. In this paper, we propose a different explanation: MLMs succeed on downstream tasks almost entirely due to their ability to model higher-order word co-occurrence statistics. To demonstrate this, we pre-train MLMs on sentences with randomly shuffled word order, and show that

NLP pipeline” (Tenney et al., 2019), suggesting that it has learned “the kind of abstractions that we intuitively believe are important for representing natural language” rather than “simply modeling complex co-occurrence statistics” (ibid., p. 1).

In this work, we try to uncover how much of MLM’s success comes from simple distributional information, as opposed to “the types of syntactic and semantic abstractions traditionally believed necessary for language processing” (Tenney et al., 2019; Manning et al., 2020). We disentangle these



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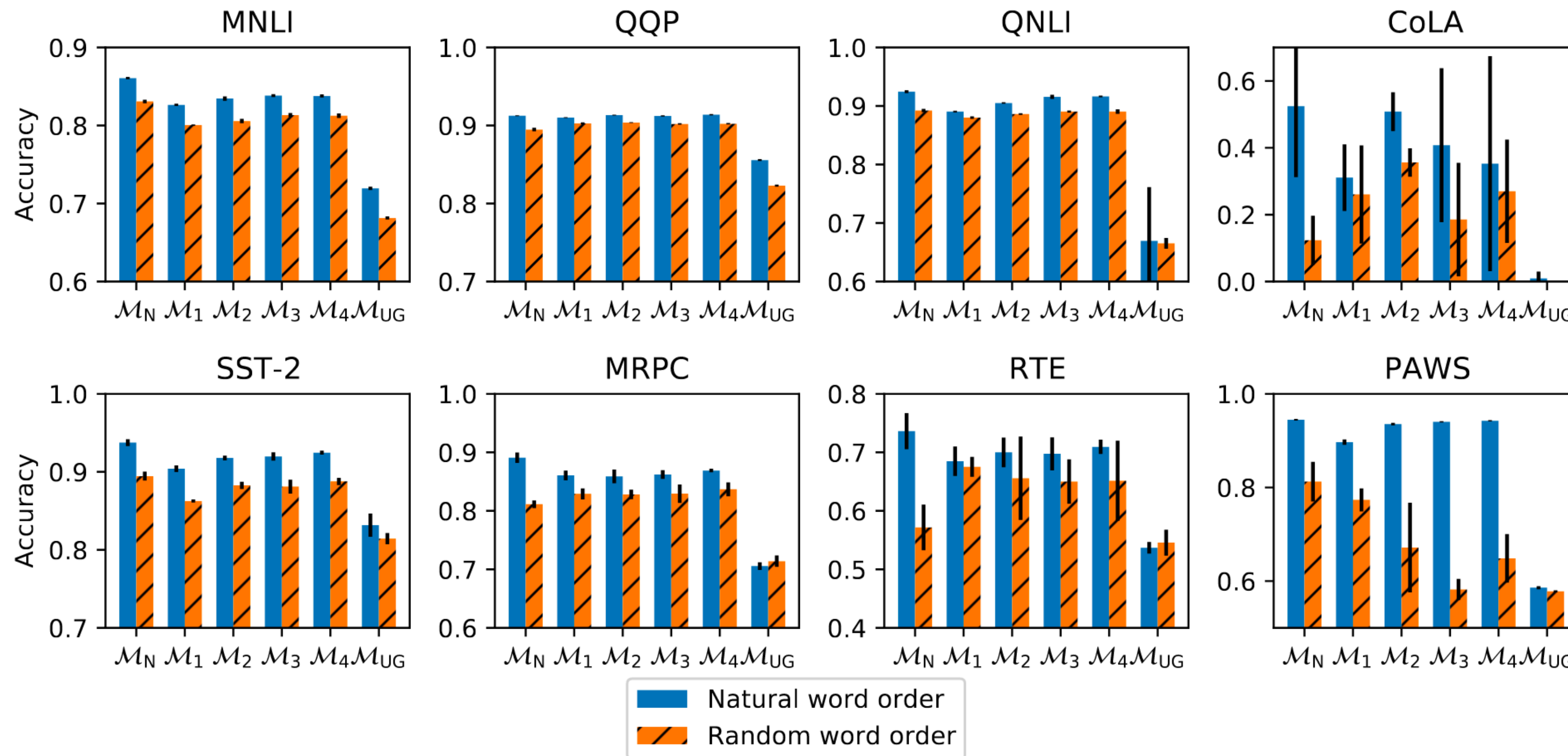
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# Unordered Models in the Large LM Era



# Unordered Models in the Large LM Era

- “We observed overwhelmingly that MLM’s success is most likely **not** (emphasis added) due to its ability to discover syntactic and semantic mechanisms necessary for a traditional language processing pipeline. Instead, our experiments suggest that MLM’s success can be mostly explained by it having learned higher-order distributional statistics that make for a useful prior for subsequent fine-tuning.”

# Neural Probabilistic Language Model

# Language Modeling

- A language model parametrized by  $\theta$  computes:  $P_{\theta}(w_1, \dots, w_n)$
- Typically (though we'll see variations):  $P_{\theta}(w_1, \dots, w_n) = \prod_i P_{\theta}(w_i | w_1, \dots, w_{i-1})$
- E.g. of labeled data: “Today is the seventh day of 282.”  $\rightarrow$ 
  - ( $\langle s \rangle$ , Today)
  - ( $\langle s \rangle$  Today, is)
  - ( $\langle s \rangle$  Today is, the)
  - ( $\langle s \rangle$  Today is the, seventh)



# N-gram LMs

- Dominant approach for a long time uses **n-grams**:

$$P_{\theta}(w_i | w_1, \dots, w_{i-1}) \approx P_{\theta}(w_i | w_{i-1}, w_{i-2}, \dots, w_{i-n})$$

- Estimate the probabilities by **counting** in a corpus
  - Fancy variants (back-off, smoothing, etc)
- Some problems:
  - **Huge number of parameters:**  $\approx |V|^n$
  - Doesn't generalize to unseen n-grams

# Neural LM

- Core idea behind the Neural Probabilistic LM
  - Make **n-gram assumption**
  - But: learn **word embeddings**
  - “n-gram of word vectors”
  - Probabilities represented by a neural network, not counts

# Pros of Neural LM

- Number of parameters:
  - Significantly lower, thanks to “**low**”-dimensional embeddings
- Generalization: embeddings enable **generalizing to similar words**

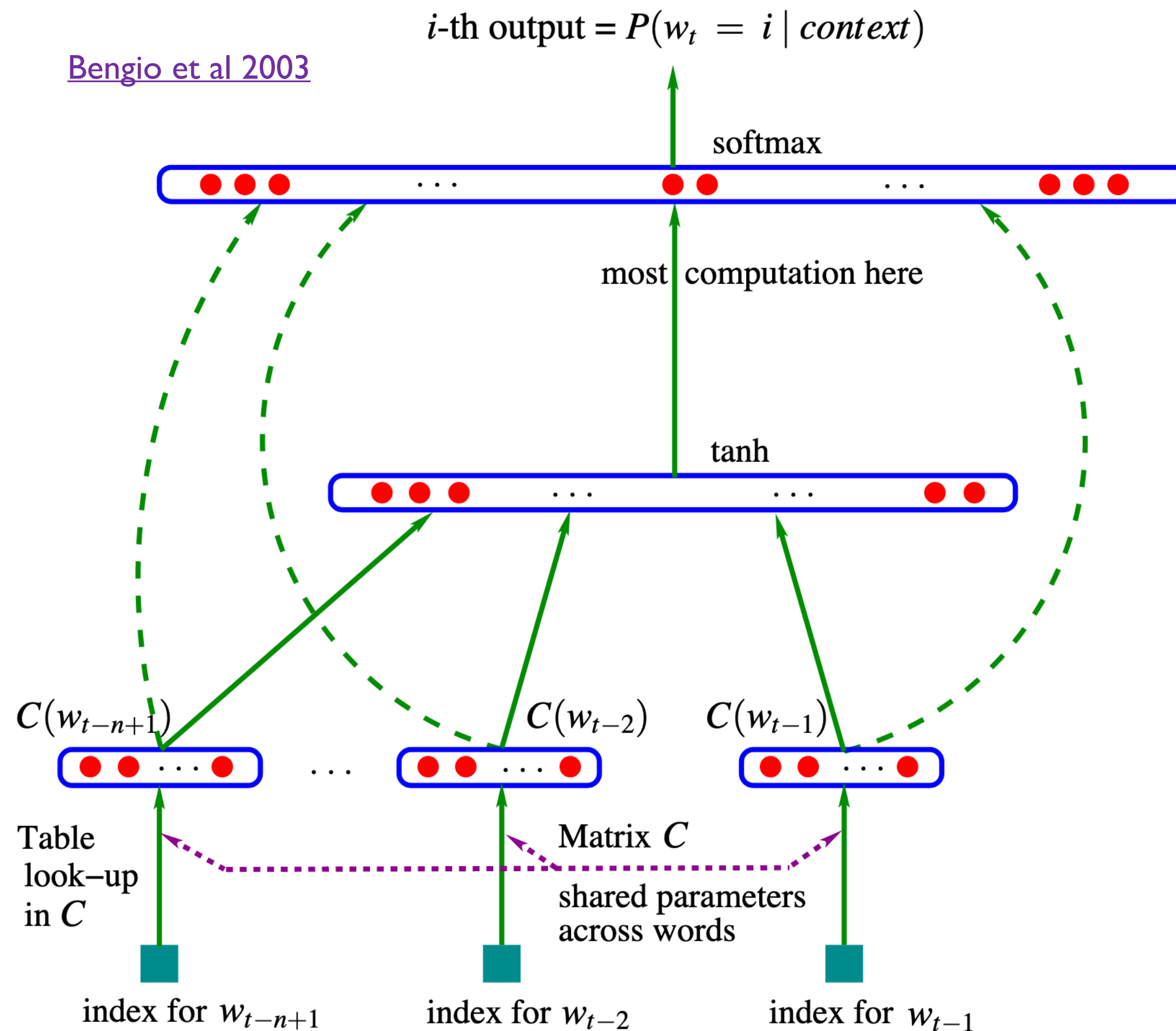
to  
and likewise to

The cat is walking in the bedroom  
A dog was running in a room  
The cat is running in a room  
A dog is walking in a bedroom  
The dog was walking in the room



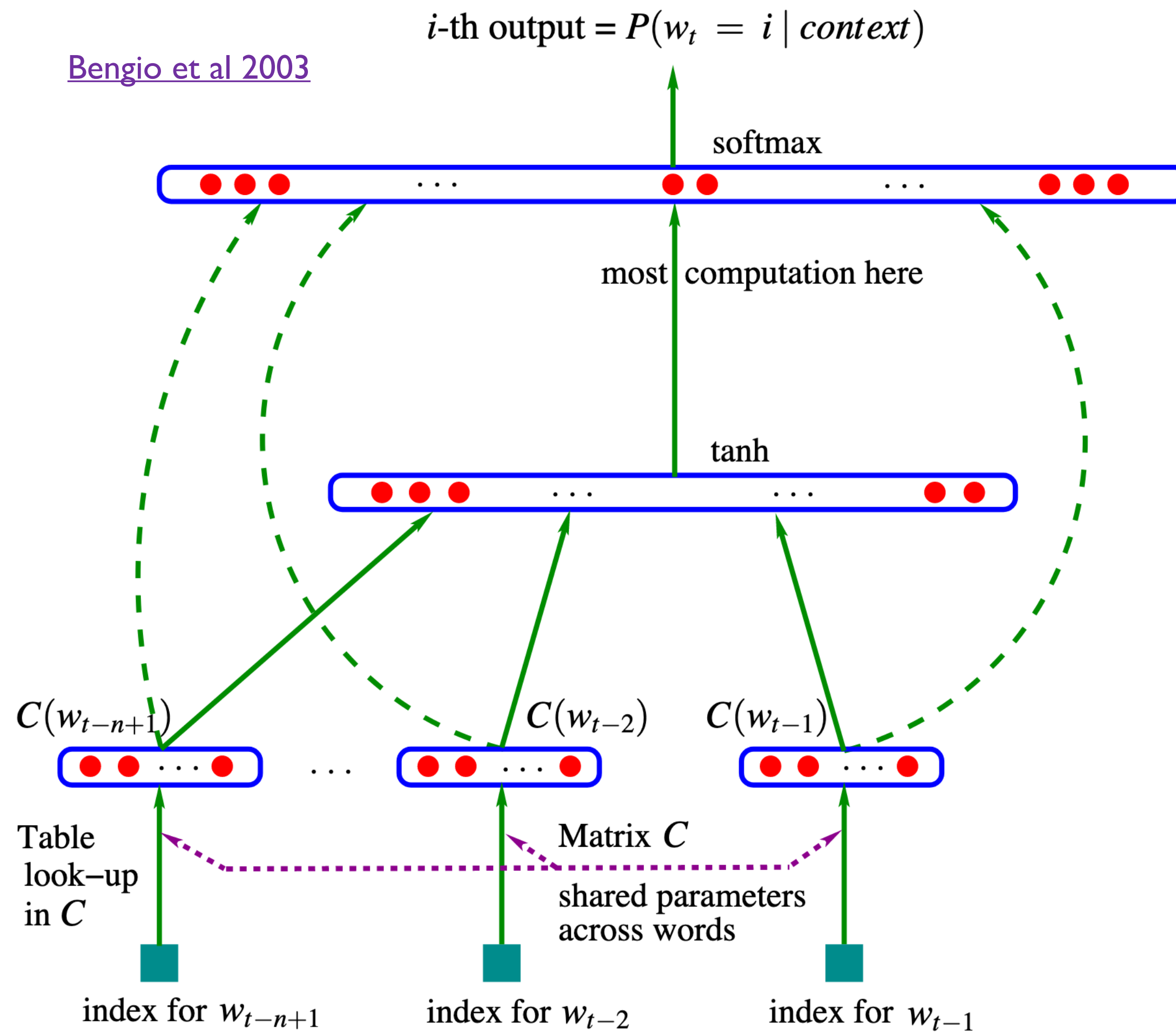
# Neural LM Architecture

[Bengio et al 2003](#)



# Neural LM Architecture

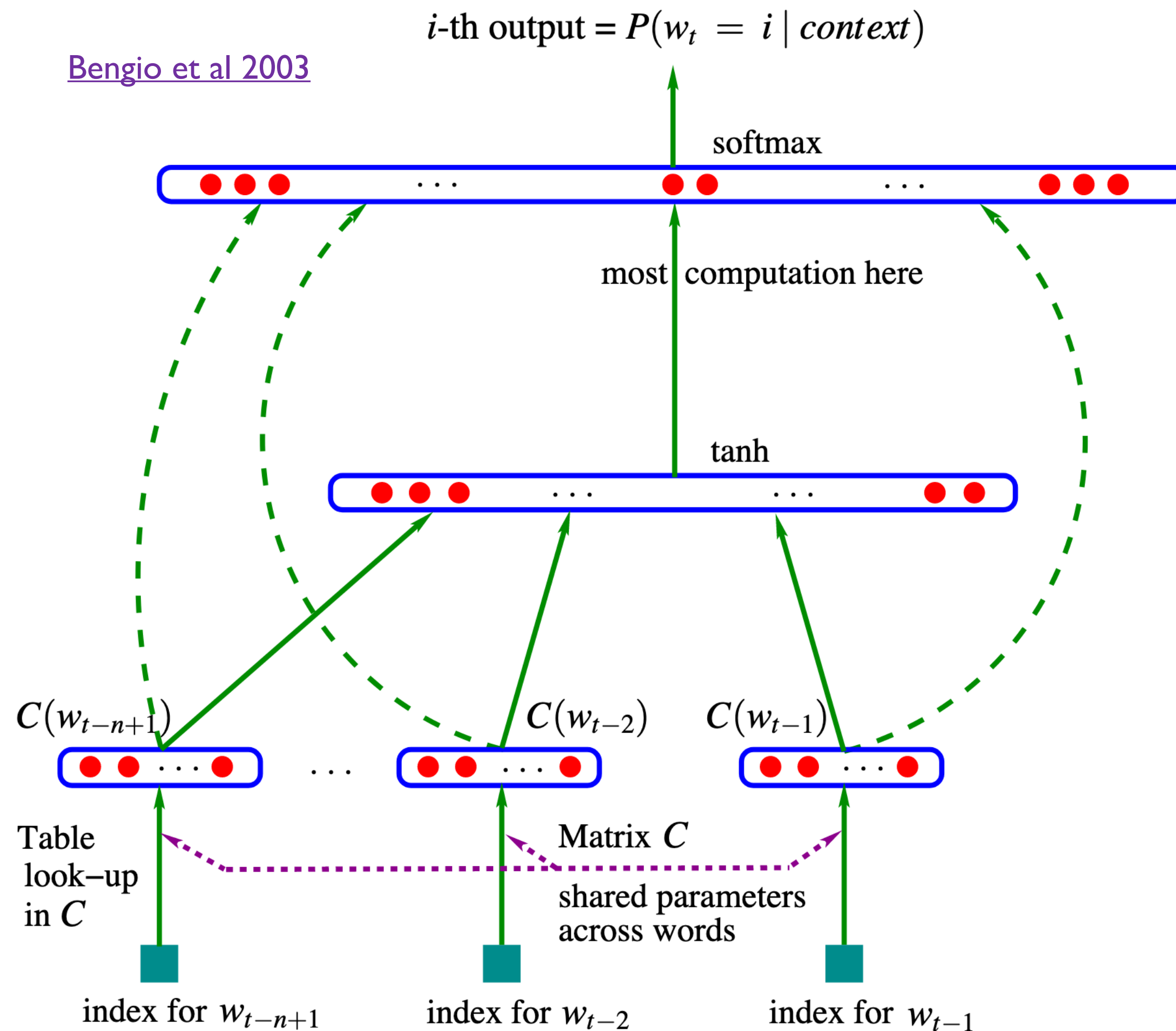
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$w_t$ : one-hot vector

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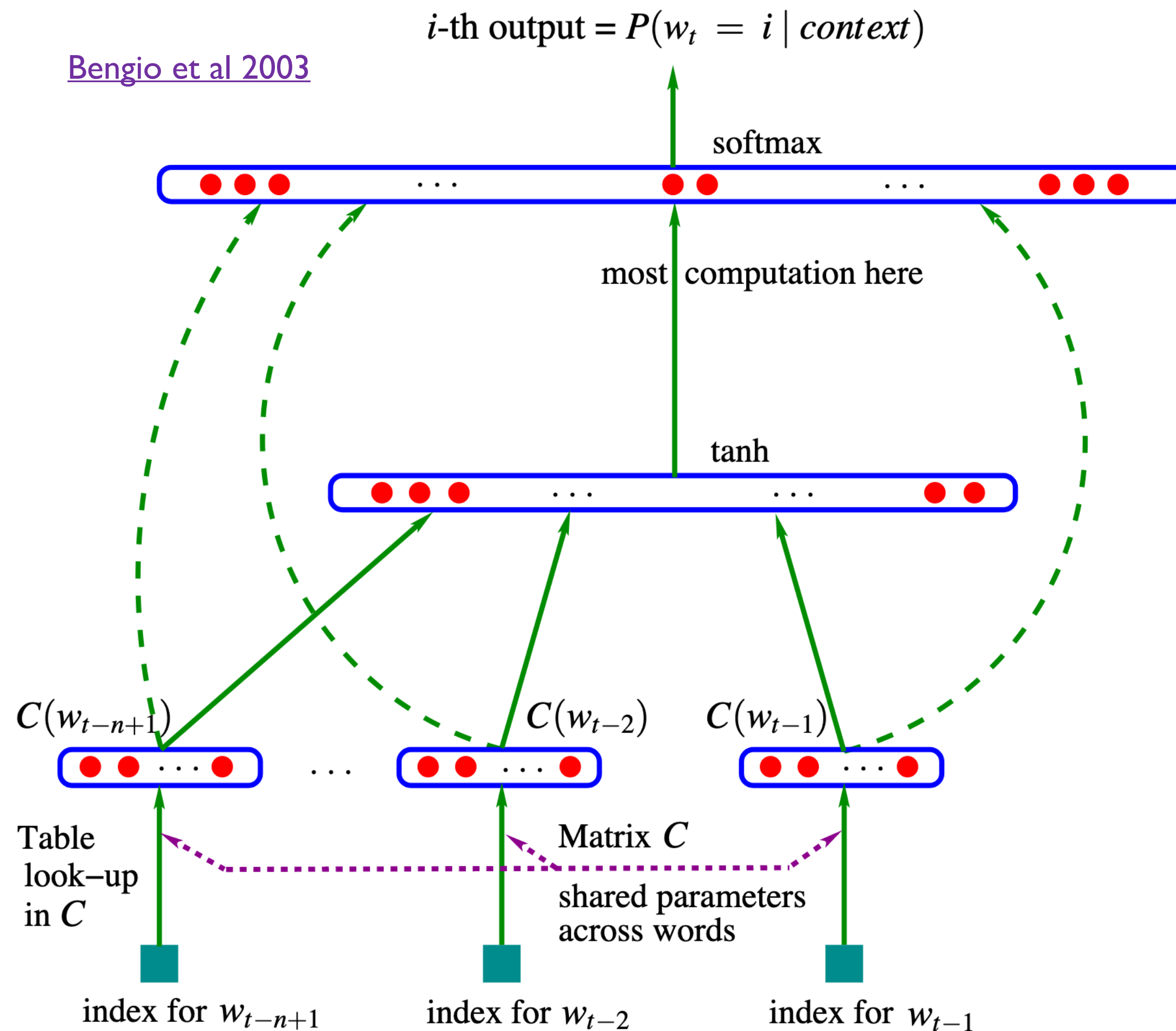


$$\text{embeddings} = \text{concat}(Cw_{t-1}, Cw_{t-2}, \dots, Cw_{t-(n+1)})$$

$w_t$ : one-hot vector

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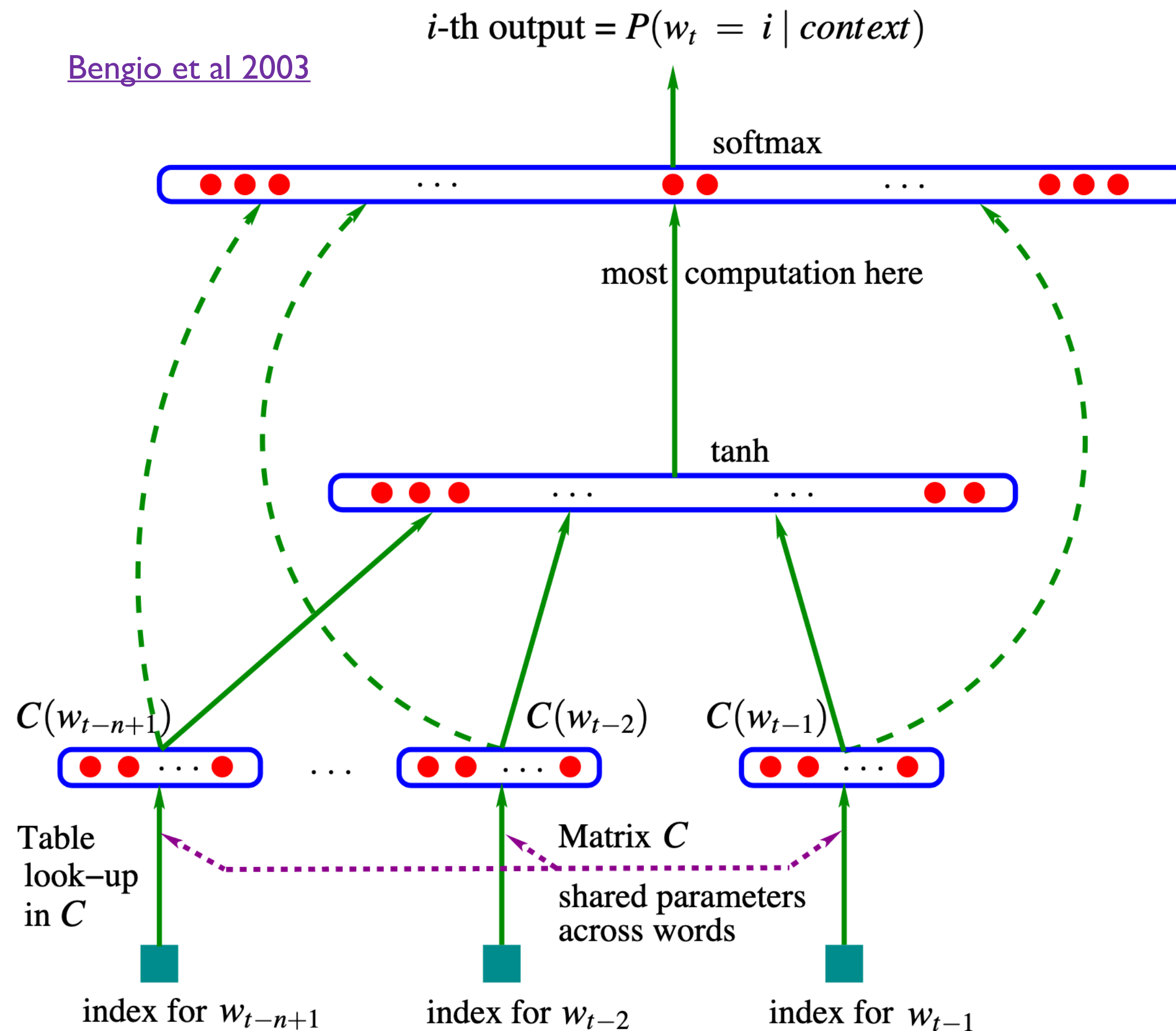
$$\text{hidden} = \tanh(W^1 \cdot \text{embeddings} + b^1)$$

$$\text{embeddings} = \text{concat}(Cw_{t-1}, Cw_{t-2}, \dots, Cw_{t-(n+1)})$$

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# Neural LM Architecture

Bengio et al 2003



$$\text{probabilities} = \text{softmax}(W^2 \cdot \text{hidden} + b^2)$$

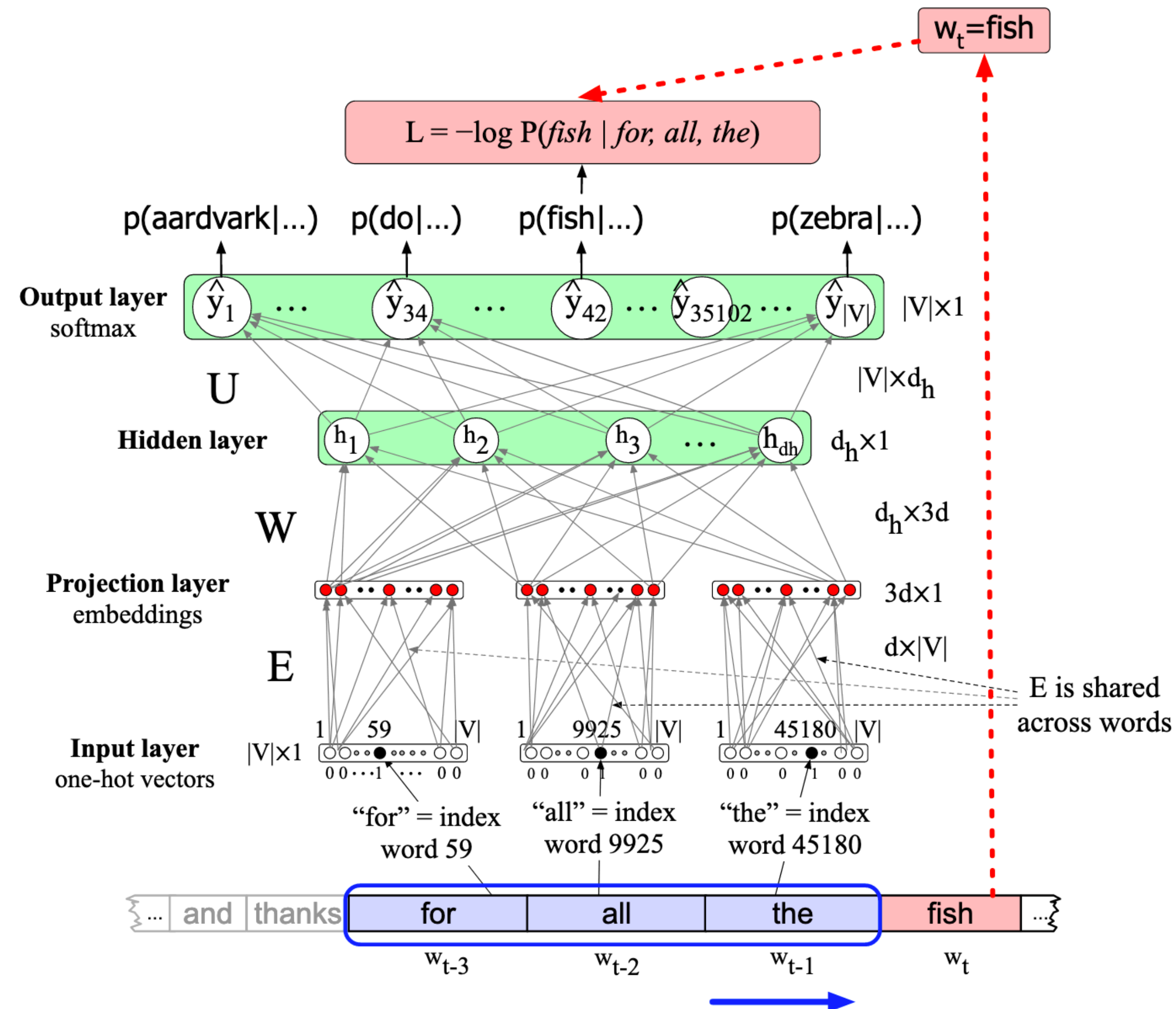
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$w_t$ : one-hot vector



# More Detailed Diagram of Architecture



JM sec 7.5

# Output and Loss

- Softmax + cross-entropy
  - Essentially, language modeling is **IVI-way classification**
  - Each word in the vocabulary is a class

# Evaluation of LMs

- **Extrinsic:** use in other NLP systems
- **Intrinsic:** intuitively, want probability of a test corpus
  - **Perplexity:** inverse probability, weighted by size of corpus
  - **Lower** is better!
  - **Only comparable w/ same vocab**



# Perplexity

$$PP(W) = P(w_1 w_2 \cdots w_N)^{-1/N}$$

$$= \sqrt[N]{\frac{1}{P(w_1 w_2 \cdots w_N)}}$$

$$= \sqrt[N]{\frac{1}{\prod_{i=1}^N P(w_i | w_1, \dots, w_{i-1})}}$$

$$= 2^{-\frac{1}{N} \sum_{i=1}^N \log P(w_i | w_1, \dots, w_{i-1})}$$

# Results

	n	c	h	m	direct	mix	train.	valid.	test.
MLP1	5		50	60	yes	no	182	284	268
MLP2	5		50	60	yes	yes		275	257
MLP3	5		0	60	yes	no	201	327	310
MLP4	5		0	60	yes	yes		286	272
MLP5	5		50	30	yes	no	209	296	279
MLP6	5		50	30	yes	yes		273	259
MLP7	3		50	30	yes	no	210	309	293
MLP8	3		50	30	yes	yes		284	270
MLP9	5		100	30	no	no	175	280	276
MLP10	5		100	30	no	yes		265	<b>252</b>
Del. Int.	3						31	352	336
Kneser-Ney back-off	3							334	323
Kneser-Ney back-off	4							332	321
Kneser-Ney back-off	5							332	321
class-based back-off	3	150						348	334
class-based back-off	3	200						354	340
class-based back-off	3	500						326	<b>312</b>
class-based back-off	3	1000						335	319
class-based back-off	3	2000						343	326
class-based back-off	4	500						327	312
class-based back-off	5	500						327	312

# More Complete Picture of This Model

## Revisiting Simple Neural Probabilistic Language Models

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### Abstract

Recent progress in language modeling has been driven not only by advances in neural architectures, but also through hardware and optimization improvements. In this paper, we revisit the neural probabilistic language model (NPLM) of [Bengio et al. \(2003\)](#), which simply concatenates word embeddings within a fixed window and passes the result through a feed-forward network to predict the next word. When scaled up to modern hardware, this model (despite its many limitations) performs

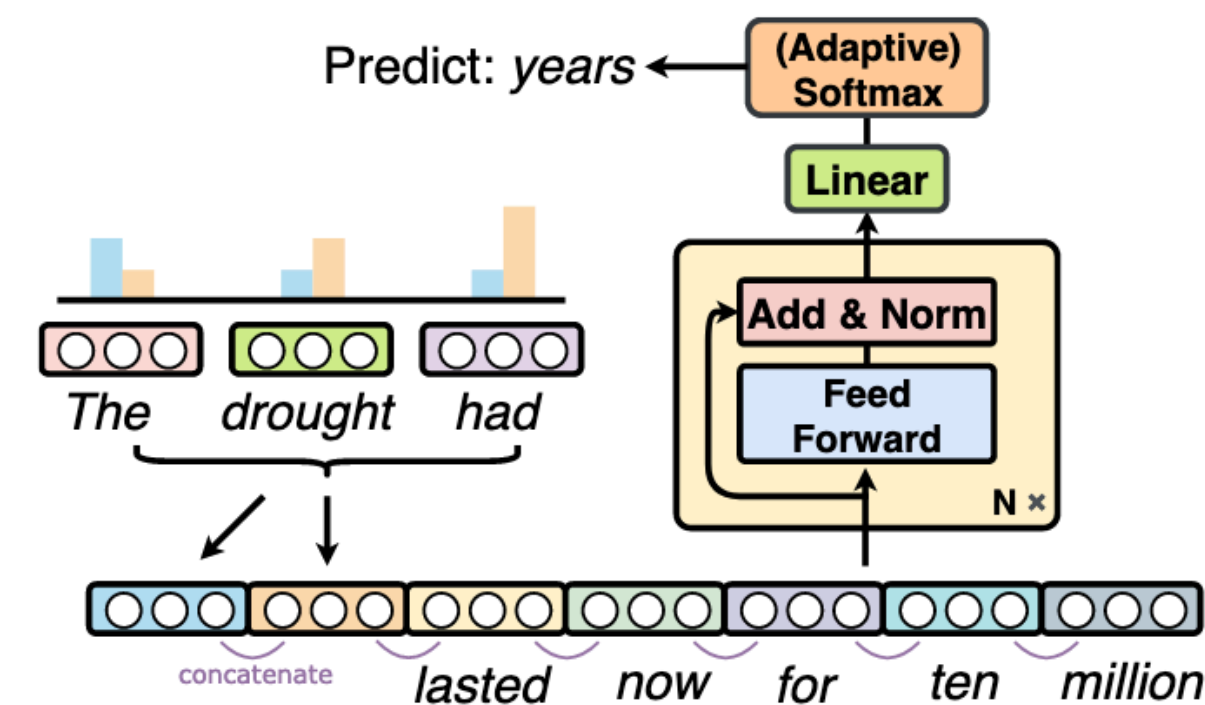
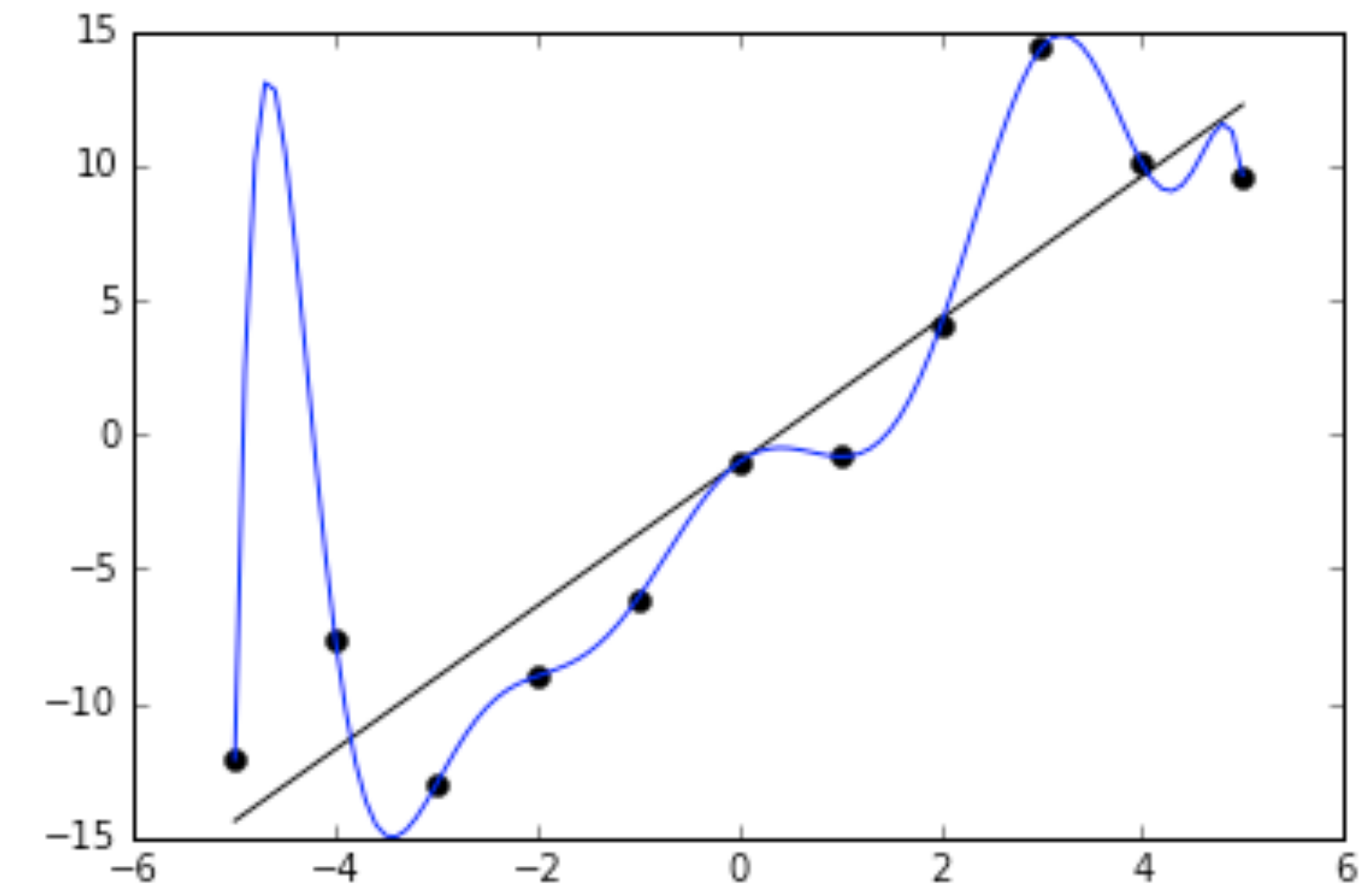


Figure 1: A modernized version of the neural probabilistic language model of [Bengio et al. \(2003\)](#), which

# Additional Training Notes: Regularization and Hyper-Parameters

# Overfitting

- Over-fitting: model too closely mimics the training data
  - Therefore, **cannot *generalize* well**
- Common when models are “**over-parameterized**”
  - E.g. fitting a high-degree polynomial
  - Neural models are typically over-parameterized
- Key questions:
  - How to detect overfitting?
  - How to prevent it?



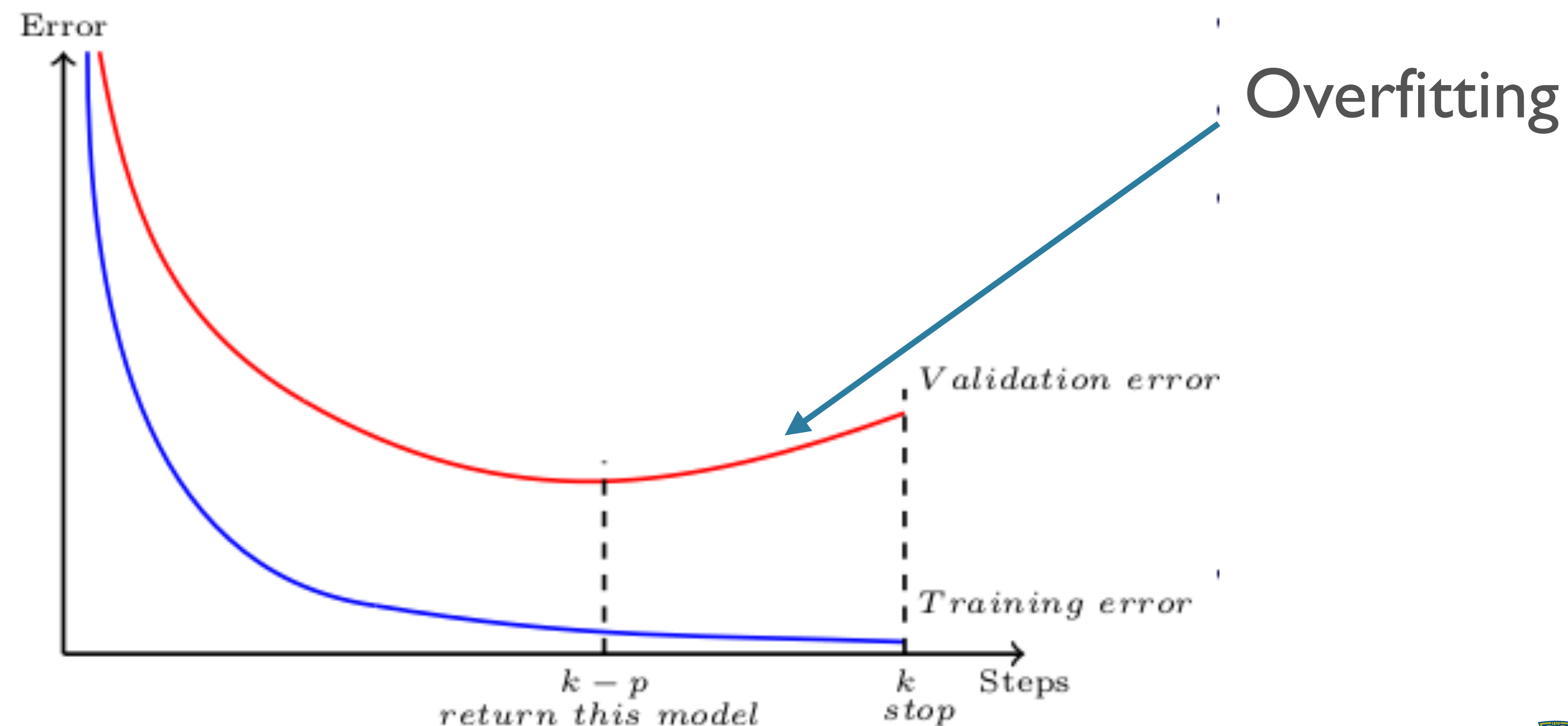
# Train, Dev, Test Set Splits

- Split total data into three chunks: train, dev (aka valid), test
  - Common: 70/15/15, 80/10/10%
- **Train**: used for individual model training, as we've seen so far
- **Dev/valid**:
  - Evaluation during training
  - Hyper-parameter tuning
  - Model selection
- **Test**:
  - Final evaluation; **DO NOT TOUCH** otherwise



# Early stopping

- Naive idea: pick # of epochs, hope for no overfitting
- Better: pick **max # of epochs**, and “**patience**”
  - Halt when **validation error does not improve** over patience-many epochs



[source](#)

# Regularization

- NNs are often *overparameterized*, so regularization helps
- L1/L2:  $\mathcal{L}'(\theta, y) = \mathcal{L}(\theta, y) + \lambda \|\theta\|^2$ 
  - (penalty for **higher magnitude** parameters)
- Dropout:
  - During training, randomly **turn off X% of neurons** in each layer
  - (Don't do this during testing/predicting)
- Batch Normalization / Layer Norm
- Batch size choice can also be regulating

**Input:** Values of  $x$  over a mini-batch:  $\mathcal{B} = \{x_{1\dots m}\}$ ;  
Parameters to be learned:  $\gamma, \beta$

**Output:**  $\{y_i = \text{BN}_{\gamma, \beta}(x_i)\}$

$$\mu_{\mathcal{B}} \leftarrow \frac{1}{m} \sum_{i=1}^m x_i \quad // \text{ mini-batch mean}$$

$$\sigma_{\mathcal{B}}^2 \leftarrow \frac{1}{m} \sum_{i=1}^m (x_i - \mu_{\mathcal{B}})^2 \quad // \text{ mini-batch variance}$$

$$\hat{x}_i \leftarrow \frac{x_i - \mu_{\mathcal{B}}}{\sqrt{\sigma_{\mathcal{B}}^2 + \epsilon}} \quad // \text{ normalize}$$

$$y_i \leftarrow \gamma \hat{x}_i + \beta \equiv \text{BN}_{\gamma, \beta}(x_i) \quad // \text{ scale and shift}$$

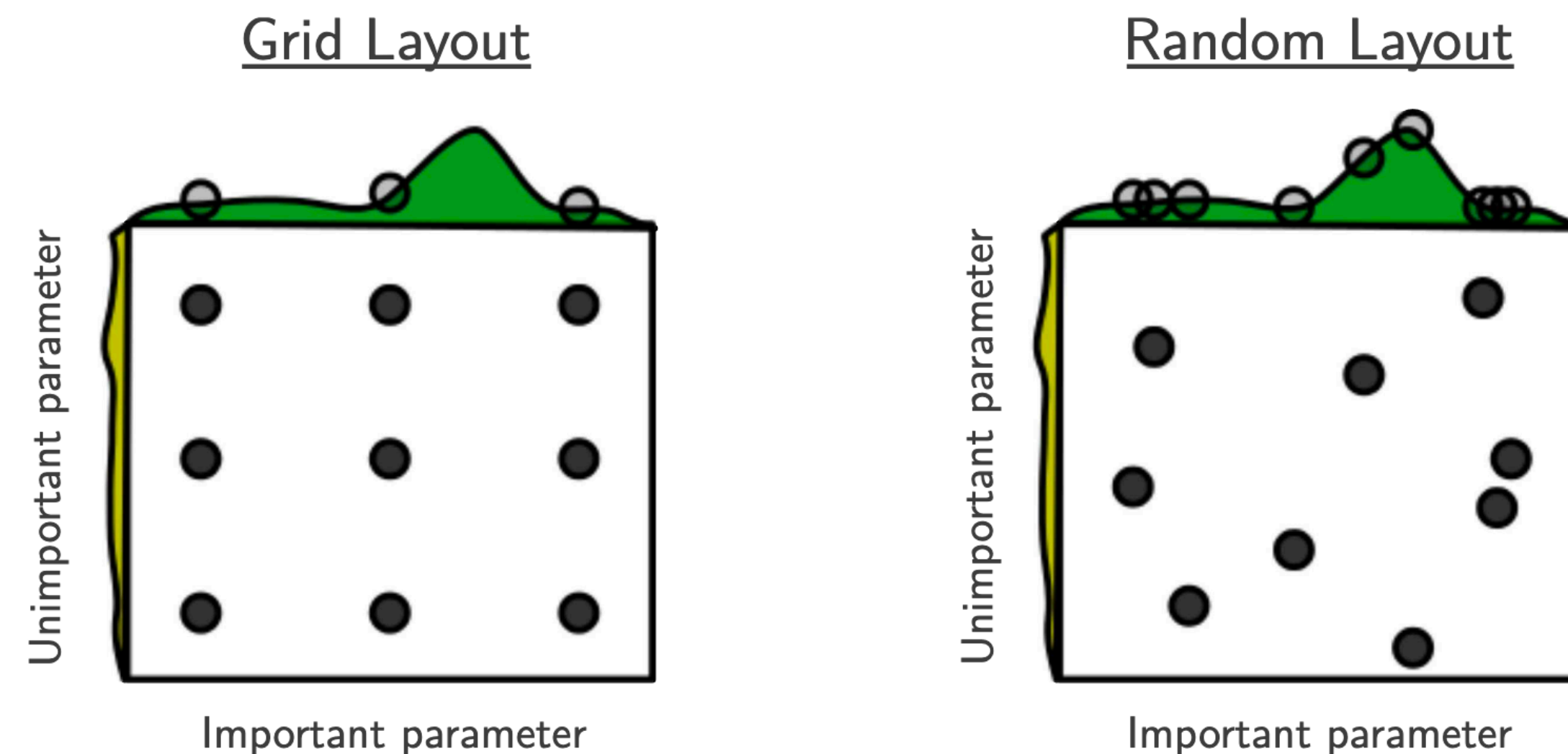


# Hyper-parameters

- In addition to the model architecture ones mentioned earlier
- **Optimizer:** SGD, Adam, Adagrad, RMSProp, ....
  - Optimizer-specific hyper-parameters: learning rate, alpha, beta, ...
  - (Backprop computes gradients; optimizer uses them to update parameters)
- **Regularization:** L1/L2, Dropout, BN, ...
  - regularizer-specific ones: e.g. dropout rate
- **Batch size**
- Number of **epochs** to train for
  - Early stopping criterion (e.g. patience)

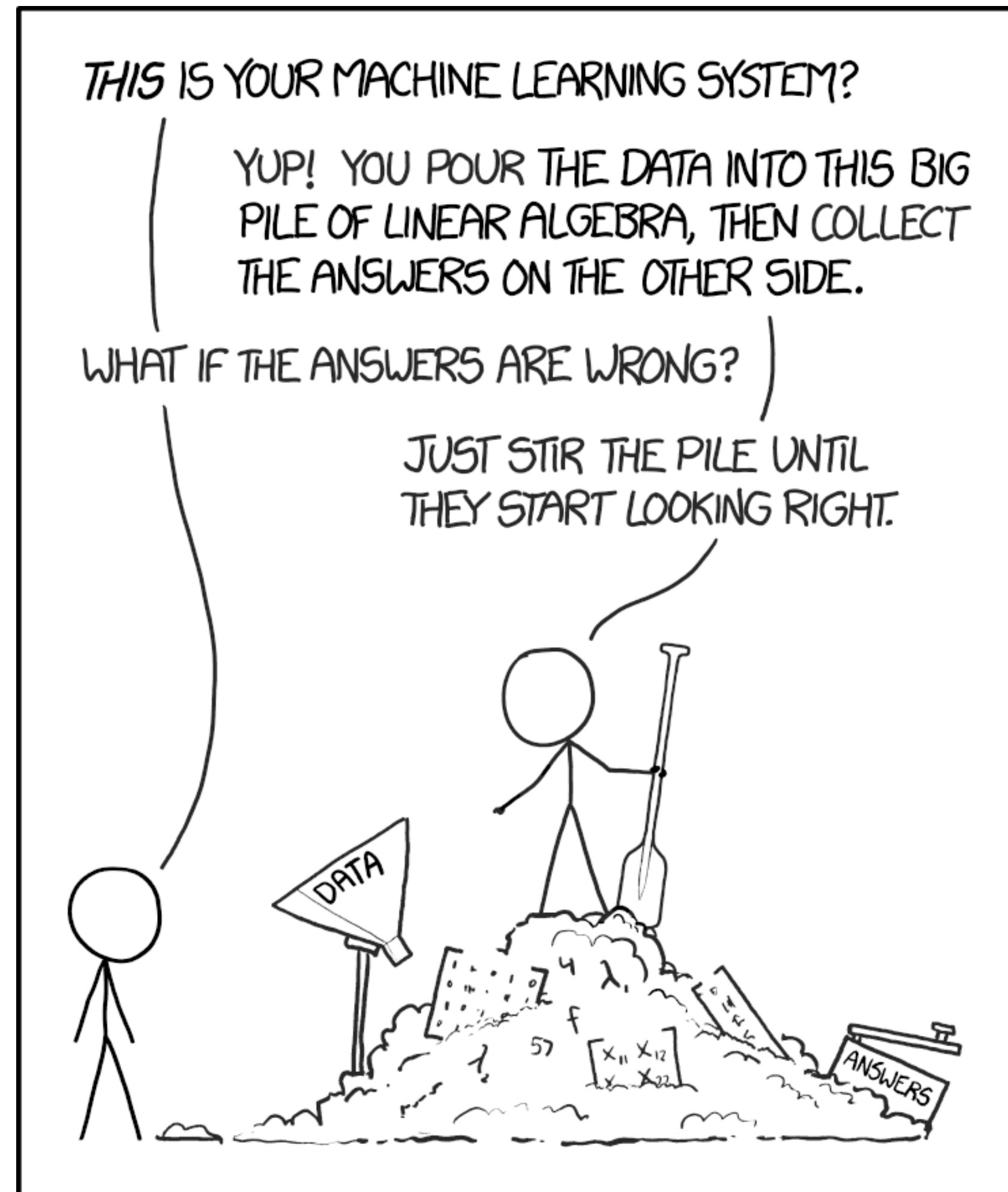
# A note on hyper-parameter tuning

- **Grid search:** specify range of values for each hyper-parameter, try all possible combinations thereof
- **Random search:** specify possible values for all parameters, randomly sample values for each, stop when some criterion is met



[Bergstra and Bengio 2012](#)

# Craft/Art of Deep Learning



<https://xkcd.com/1838/>

# Some Practical Pointers

- Hyper-parameter tuning and the like are not the focus of this course
- For some helpful hand-on advice about training NNs from scratch, debugging under “silent failures”, etc:
  - <http://karpathy.github.io/2019/04/25/recipe/>